

Local Reflection Models



Illumination Thus Far ...



- Simple Illumination Models
 - Ambient + Diffuse + Attenuation + Specular
- Additions
 - Texture, Shadows, ...
- Used in global algs! (Ray tracing)

- Problem: Different materials
 - Plastic and metal of same "color" look different

Overview

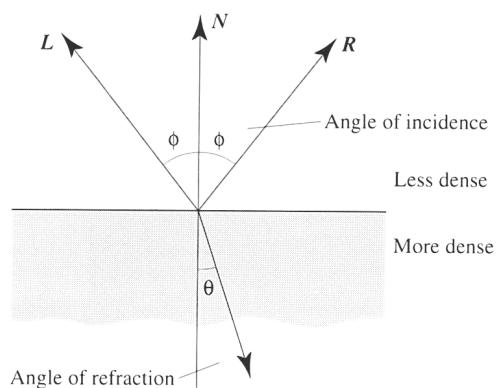
- Reflection from a perfect surface (Fresnel)
- Reflection from an imperfect surface
- BRDF's
- Diffuse and specular
 - Perfectly diffuse, empirical specular (Phong)
 - Physically-based specular (Cook&Torrance)
 - Physically-based diffuse (Hanrahan&Kreuger)

Reflection from a perfect surface (i.e., a perfect mirror)

■ Fresnel's Formula

$$F = \frac{1}{2} \left\{ \frac{\sin^2(\phi - \theta)}{\sin^2(\phi + \theta)} + \frac{\tan^2(\phi - \theta)}{\tan^2(\phi + \theta)} \right\}$$

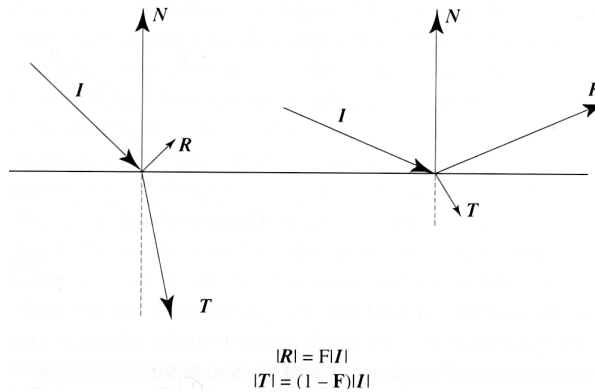
$\sin\theta = \sin\phi / \mu$
 μ is the index of refraction



Reflection and Transmission

- Relates ratio of reflected/transmitted light

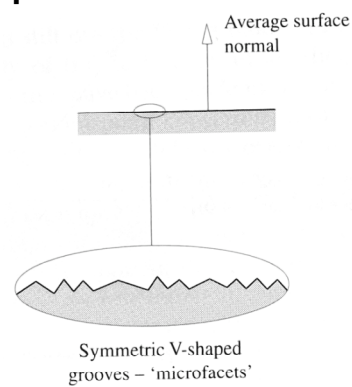
- Function of incident dir, polarization, material



Reflection from an imperfect surface

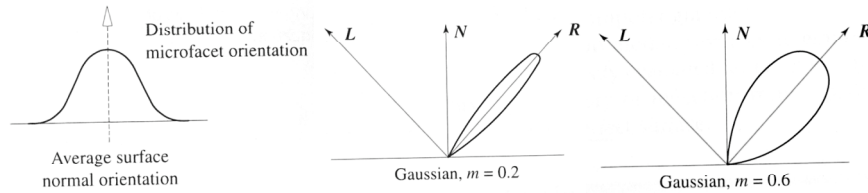
- Surfaces are not optically perfect

- Microgeometry
- Simulate microgeometry,
 - Use Fresnel eq
 - Microfacets (v-shaped pits)



Reflection from an imperfect surface

- Parameterized lobe describes reflection over small area

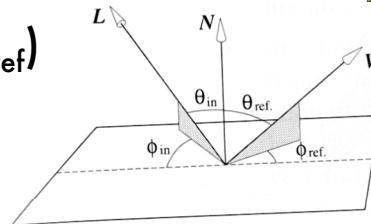


- Ignores dust, scratches, etc.

BRDF (Bi-directional Reflectance Distribution Function)

- $BRDF = f(\Theta_{in}, \Phi_{in}, \Theta_{ref}, \Phi_{ref})$

- Function of surface orientation as well as incident orientation



- Fig 7.4: materials have diff BRDF for each wavelength

- Never 1
 - 3 too simple(Phong)

Anisotropic vs. Isotropic surfaces



- Isotropic: ignore Φ
- Anisotropic: $f()$ depends on Φ
 - Grooved surfaces, such as brushed metal

Diffuse + specular: a simplification!



- Specular models typically simplistic
 - e.g., perfect mirror
- Diffuse is like powder, clay, ...
 - Phong adds spread
 - Cook & Torrance add physically-based spec.
 - Hanrahan & Kreuger add phys-based diffuse

Perfect diffuse, empirical specular (Phong)

■ Recall: $I = I_d k_a O_d + f_{\text{att}} I_p [k_d O_d (N \cdot L) + k_s (R \cdot V)^n]$

■ Diffuse: Lambertian

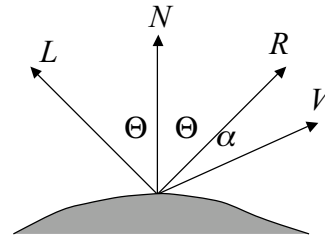
■ $\cos(\Theta_{\text{in}})$

■ Account for viewer position

■ $\cos(\Theta_{\text{ref}})$

■ Amount of specular light doesn't vary with Θ_{in}

■ BRDF = $f(\Theta_{\text{in}}, \Theta_{\text{ref}})$



Physically-based Specular Component

(Blinn '77, Cook and Torrance '82)

■ Change specular highlight based on

■ Material (e.g., color of highlight changes)

■ Angle of incidence of light (Θ_{in})

■ Recognize that highlight is reflected light

■ Distorted by geometry (Phong does this)

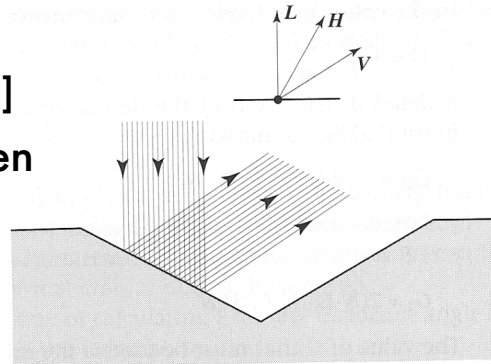
■ Angle and color of light (e.g., metal vs non-)

■ Cost been prohibitive in fast 3D

■ Approach: Model "micro-geometry" of surface

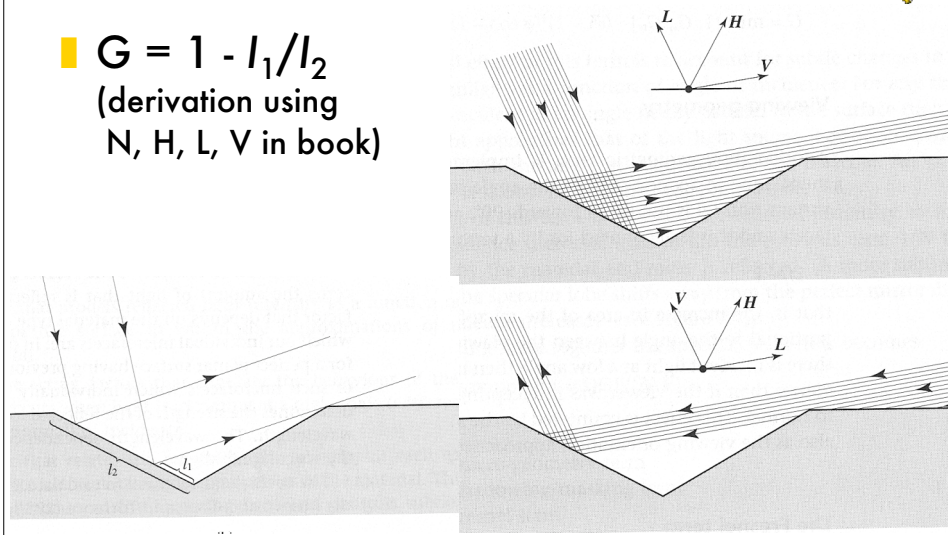
Micro-Geometry of Surface: "D"

- Statistical model geometry
 - D = amount of light emerging for some Θ_{in}
- E.g., if Gaussian
 - $D = k \exp[-(\alpha/m)^2]$
- α = angle between H and N



Shadowing and Masking: "G"

- $G = 1 - I_1/I_2$
(derivation using N, H, L, V in book)



Viewing Geometry



- As $N \cdot V$ increases, more microfacets seen
 - Proportional to $1/(N \cdot V)$
- More light reflected at low angles
 - Countered by shadowing

Fresnel Term: "F"



- Recall: amount of light reflected vs. absorbed
- How to get F over all wavelengths?
 - Measure F_0 , determine μ
 - Compute F using Fresnel equation
- Reflected intensity increases with angle from N

Summary: Physically-based Specular Term



- Specular component = $DGF/N \cdot V$
- Factors for
 - Physical nature of surface
 - Glare (2 interacting terms)
 - Optical effects of each mirrored surface to control shape and intensity of highlight

Summary: Physically-based Specular Term



- $BRDF = sR_s + dR_d$ (where $s+d=1$)
 - R_s is specular, R_d is separate diffuse
 - E.g. metal ($d=0, s=1$), plastic ($d=0.9, s=0.1$)
- Still ignores Φ_{in} !
- $BRDF = f(\Theta_{in}, \Theta_{ref}, \Phi_{ref})$

Physically-based Diffuse

(Hanrahan and Kreuger '93)



- Physical simulations must be based on subsurface scattering
 - Light absorbed, bounced around, emitted
 - Incident white light “filtered” by material
- Lots of effects require it
 - Skin, leaves, snow, sand, ...
- Supports anisotropic materials
 - Subsurface scattering uses physical properties